Script generated by TTT

Title: Nipkow: Info2 (05.12.2014)

Date: Fri Dec 05 07:32:26 GMT 2014

Duration: 84:24 min

Pages: 151

1.3 Case study: boolean formulas

type Name = String



1.3 Case study: boolean formulas

3 Case study: boolean formulas

1 Case study: boolean formulas

| Or Form Form deriving Eq

| And Form Form

| Not Form

1.3 Case study: boolean formulas

1.3 Case study: boolean formulas



Pretty printing



Pretty printing

```
par :: String -> String
par s = "(" ++ s ++ ")"
```

instance Show Form where



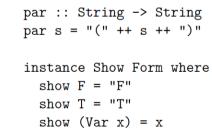
Pretty printing



Pretty printing

```
par :: String -> String
par s = "(" ++ s ++ ")"

instance Show Form where
  show F = "F"
  show T = "T"
```





Pretty printing

```
par :: String -> String
par s = "(" ++ s ++ ")"

instance Show Form where
  show F = "F"
  show T = "T"
  show (Var x) = x
  show (Not p) = par("~" ++ show p)
```



Pretty printing

```
par :: String -> String
par s = "(" ++ s ++ ")"

instance Show Form where
    show F = "F"
    show T = "T"
    show (Var x) = x
    show (Not p) = par("~" ++ show p)
    show (p : &: q) = par(show p ++ " & " ++ show q)
```



Pretty printing

```
par :: String -> String
par s = "(" ++ s ++ ")"

instance Show Form where
    show F = "F"
    show T = "T"
    show (Var x) = x
    show (Not p) = par("~" ++ show p)
    show (p :&: q) = par(show p ++ " & " ++ show q)
    show (p :|: q) = par(show p ++ " | " ++ show q)
```



Pretty printing

```
par :: String -> String
par s = "(" ++ s ++ ")"

instance Show Form where
    show F = "F"
    show T = "T"
    show (Var x) = x
    show (Not p) = par("~" ++ show p)
    show (p :&: q) = par(show p ++ " & " ++ show q)
    show (p :|: q) = par(show p ++ " | " ++ show q)
> Var "p" :&: Not(Var "p")
```



Pretty printing

```
par :: String -> String
par s = "(" ++ s ++ ")"

instance Show Form where
    show F = "F"
    show T = "T"
    show (Var x) = x
    show (Not p) = par("~" ++ show p)
    show (p : &: q) = par(show p ++ " & " ++ show q)
    show (p :|: q) = par(show p ++ " | " ++ show q)

> Var "p" :&: Not(Var "p")
(p & (~p))
```



Syntax versus meaning

Form is the *syntax* of boolean formulas, not their meaning:



Syntax versus meaning

Form is the *syntax* of boolean formulas, not their meaning:

Not(Not T) and T mean the same



Syntax versus meaning

Form is the syntax of boolean formulas, not their meaning:

Not(Not T) and T mean the same but are different:

Not(Not T) /= T

What is the meaning of a Form?



Syntax versus meaning

Syntax versus meaning

Form is the *syntax* of boolean formulas, not their meaning:

Not(Not T) and T mean the same but are different:

Not(Not T) /= T

What is the meaning of a Form?

Its value!?

Form is the *syntax* of boolean formulas, not their meaning:

Not(Not T) and T mean the same but are different:

Not(Not T) /= T

What is the meaning of a Form?

Its value!?

But what is the value of $\mbox{\em Var "p" ?}$



```
-- Wertebelegung
type Valuation = [(Name, Bool)]
```



```
-- Wertebelegung

type Valuation = [(Name, Bool)]

eval :: Valuation -> Form -> Bool
```

```
-- Wertebelegung

type Valuation = [(Name, Bool)]

eval :: Valuation -> Form -> Bool

eval _ F = False
```



```
-- Wertebelegung

type Valuation = [(Name, Bool)]

eval :: Valuation -> Form -> Bool

eval _ F = False

eval _ T = True
```



```
-- Wertebelegung

type Valuation = [(Name, Bool)]

eval :: Valuation -> Form -> Bool

eval _ F = False

eval _ T = True

eval v (Var x) = fromJust(lookup x v)
```



```
-- Wertebelegung

type Valuation = [(Name, Bool)]

eval :: Valuation -> Form -> Bool

eval _ F = False

eval _ T = True

eval v (Var x) = fromJust(lookup x v)

eval v (Not p) = not(eval v p)
```

```
-- Wertebelegung

type Valuation = [(Name, Bool)]

eval :: Valuation -> Form -> Bool

eval _ F = False

eval _ T = True

eval v (Var x) = fromJust(lookup x v)

eval v (Not p) = not(eval v p)

eval v (p :&: q) = eval v p && eval v q

eval v (p :|: q) = eval v p || eval v q
```

```
-- Wertebelegung

type Valuation = [(Name,Bool)]

eval :: Valuation -> Form -> Bool

eval _ F = False

eval _ T = True

eval v (Var x) = fromJust(lookup x v)

eval v (Not p) = not(eval v p)

eval v (p :&: q) = eval v p && eval v q

eval v (p :|: q) = eval v p || eval v q

> eval [("a",False), ("b",False)]

(Not(Var "a") :&: Not(Var "b"))
```

II valuations for a given list of variable names:

```
vals :: [Name] -> [Valuation]
```

II valuations for a given list of variable names:

```
vals :: [Name] -> [Valuation]
vals [] = [[]]
```

Il valuations for a given list of variable names:

III valuations for a given list of variable names:

III valuations for a given list of variable names:

II valuations for a given list of variable names:

II valuations for a given list of variable names:



Does vals construct all valuations?



Does vals construct all valuations?

```
prop_vals1 xs =
  length(vals xs) ==
```



Does vals construct *all* valuations?

```
prop_vals1 xs =
  length(vals xs) == 2 ^ length xs
prop_vals2 xs =
  distinct (vals xs)
```



```
Does vals construct all valuations?
prop_vals1 xs =
  length(vals xs) == 2 ^ length xs

prop_vals2 xs =
  distinct (vals xs)

distinct :: Eq a => [a] -> Bool
  distinct [] = True
  distinct (x:xs) = not(elem x xs) && distinct xs
```

```
Terminal Shell Edit View Window Help
                                  💻 🖫 📠 🕦 \leftrightarrow 🍪 🕴 🥱 🗣 🖭 Fri 08:58 🔍 🔚
                            Code — ghc — 62×21
Last login: Fri Dec 5 08:09:36 on ttys004
122:~ nipkow$ cd Teaching/FP/1415/Code/
122:Code nipkow$ ghci
GHCi, version 7.6.3: http://www.haskell.org/ghc/ :? for help
Loading package ghc-prim ... linking ... done.
Loading package integer-gmp ... linking ... done.
Loading package base ... linking ... done.
Prelude> :l Form
[1 of 1] Compiling Form
                                      ( Form.hs, interpreted )
Ok. modules loaded: Form.
*Form> quickCheck prop vals1
Loading package array-0.4.0.1 ... linking ... done.
Loading package deepseq-1.3.0.1 ... linking ... done.
Loading package old-locale-1.0.0.5 ... linking ... done.
Loading package time-1.4.0.1 ... linking ... done.
Loading package random-1.0.1.1 ... linking ... done.
Loading package containers-0.5.0.0 ... linking ... done.
Loading package pretty-1.1.1.0 ... linking ... done.
Loading package template-haskell ... linking ... done.
Loading package QuickCheck-2.6 ... linking ... done.
(32 tests)
```



```
Restrict size of test cases:
```

```
prop_vals1' xs =
  length xs <= 10 ==>
  length(vals xs) == 2 ^ length xs
```



Restrict size of test cases:

```
prop_vals1' xs =
  length xs <= 10 ==>
  length(vals xs) == 2 ^ length xs

prop_vals2' xs =
  length xs <= 10 ==> distinct (vals xs)
```

Demo



Satisfiable and tautology

```
satisfiable :: Form -> Bool
```



Satisfiable and tautology

```
satisfiable :: Form -> Bool
satisfiable p = or [eval v p | v <- vals(vars p)]
tautology :: Form -> Bool
```



Satisfiable and tautology

```
satisfiable :: Form -> Bool
satisfiable p = or [eval v p | v <- vals(vars p)]

tautology :: Form -> Bool
tautology = not . satisfiable . Not

vars :: Form -> [Name]
vars F = []
vars T = []
vars (Var x) = [x]
vars (Not p) = vars p
```









Simplifying a formula: Not inside?

isSimple :: Form -> Bool



Simplifying a formula: Not inside?

```
isSimple :: Form -> Bool
isSimple (Not p) = not (isOp p)
```



Simplifying a formula: Not inside?

```
isSimple :: Form -> Bool
isSimple (Not p) = not (isOp p)
where
isOp (Not p) = True
isOp (p :&: q) = True
isOp (p :|: q) = True
```



Simplifying a formula: Not inside?

```
isSimple :: Form -> Bool
isSimple (Not p) = not (isOp p)
where
isOp (Not p) = True
isOp (p :&: q) = True
isOp (p :|: q) = True
isOp p = False
isSimple (p :&: q) = isSimple p && isSimple q
```



Simplifying a formula: Not inside?

```
isSimple :: Form -> Bool
isSimple (Not p) = not (isOp p)
where
isOp (Not p) = True
isOp (p : &: q) = True
isOp (p : |: q) = True
isOp p = False
isSimple (p : &: q) = isSimple p && isSimple q
```



Simplifying a formula: Not inside?

```
isSimple :: Form -> Bool
isSimple (Not p) = not (isOp p)
where
isOp (Not p) = True
isOp (p :&: q) = True
isOp (p :|: q) = True
isOp p = False
isSimple (p :&: q) = isSimple p && isSimple q
isSimple (p :|: q) = isSimple p && isSimple q
```



Simplifying a formula: Not inside!



Simplifying a formula: Not inside!

```
simplify :: Form -> Form
```



Simplifying a formula: Not inside!

```
simplify :: Form -> Form
simplify (Not p) = pushNot (simplify p)
```



Simplifying a formula: Not inside!

```
simplify :: Form -> Form
simplify (Not p) = pushNot (simplify p)
where
pushNot (Not p) =
```



Simplifying a formula: Not inside!

```
simplify :: Form -> Form
simplify (Not p) = pushNot (simplify p)
  where
  pushNot (Not p) = p
```



Simplifying a formula: Not inside!

```
simplify :: Form -> Form
simplify (Not p) = pushNot (simplify p)
  where
  pushNot (Not p) = p
  pushNot (p :&: q) = pushNot p :|: pushNot q
  pushNot (p :|: q) = pushNot p :&: pushNot q
  pushNot p =
```



Simplifying a formula: Not inside!

```
simplify :: Form -> Form
simplify (Not p) = pushNot (simplify p)
where
pushNot (Not p) = p
pushNot (p : &: q) = pushNot p : |: pushNot q
pushNot (p : |: q) = pushNot p : &: pushNot q
pushNot p = Not p
```



Simplifying a formula: Not inside!

```
simplify :: Form -> Form
simplify (Not p) = pushNot (simplify p)
where
pushNot (Not p) = p
pushNot (p : &: q) = pushNot p : |: pushNot q
pushNot (p : |: q) = pushNot p : &: pushNot q
pushNot p = Not p
simplify (p : &: q) = simplify q : &: simplify q
simplify p = p
```



Quickcheck



Quickcheck

```
-- for QuickCheck: test data generator for Form
instance Arbitrary Form where
 arbitrary = sized prop
    where
   prop 0 =
     oneof [return F,
            return T,
            liftM Var arbitrary]
   prop n \mid n > 0 =
      oneof
        [return F,
        return T,
        liftM Var arbitrary,
        liftM Not (prop (n-1)),
        liftM2 (:&:) (prop(n 'div' 2)) (prop(n 'div' 2)),
        liftM2 (:|:) (prop(n 'div' 2)) (prop(n 'div' 2))]
```



prop_simplify p = isSimple(simplify p)



8.4 Structural induction



Structural induction for Tree

Structural induction for Tree

```
data Tree a = Empty | Node a (Tree a) (Tree a)
To prove property P(t) for all finite t :: Tree a
Base case: Prove P(Empty) and
```

```
data Tree a = Empty | Node a (Tree a) (Tree a)
To prove property P(t) for all finite t :: Tree a
Base case: Prove P(Empty) and
Induction step: Prove P(Node x t1 t2)
    assuming the induction hypotheses P(t1) and P(t2).
    (x, t1 and t2 are new variables)
```



Example

```
flat :: Tree a -> [a]
flat Empty = []
flat (Node x t1 t2) =
   flat t1 ++ [x] ++ flat t2

mapTree :: (a -> b) -> Tree a -> Tree b
mapTree f Empty = Empty
mapTree f (Node x t1 t2) =
   Node (f x) (mapTree f t1) (mapTree f t2)
```

```
Proof by structural induction on t
Induction step:
```

```
Proof by structural induction on t
Induction step:

IH1: flat (mapTree f t1) = map f (flat t1)
IH2: flat (mapTree f t2) = map f (flat t2)
```

```
Proof by structural induction on t
Induction step:

IH1: flat (mapTree f t1) = map f (flat t1)
IH2: flat (mapTree f t1) = map f (flat t1)
IH2: flat (mapTree f t2) = map f (flat t2)
To show: flat (mapTree f (Node x t1 t2)) =
map f (flat (Node x t1 t2))
```



The general (regular) case

data T a = ...

```
emma flat (mapTree f t) = map f (flat t)
    Proof by structural induction on t
    Induction step:
    IH1: flat (mapTree f t1) = map f (flat t1)
    IH2: flat (mapTree f t2) = map f (flat t2)
    To show: flat (mapTree f (Node x t1 t2)) =
             map f (flat (Node x t1 t2))
     flat (mapTree f (Node x t1 t2))
     = flat (Node (f x) (mapTree f t1) (mapTree f t2))
     = flat (mapTree f t1) ++ [f x] ++ flat (mapTree f t2)
     = map f (flat t1) ++ [f x] ++ map f (flat t2)
         -- by IH1 and IH2
     map f (flat (Node x t1 t2))
     = map f (flat t1 ++ [x] ++ flat t2)
     = map f (flat t1) ++ [f x] ++ map f (flat t2)
         -- by lemma distributivity of map over ++
    Note: Base case and -- by def of ... omitted
```

```
emma flat (mapTree f t) = map f (flat t)
    Proof by structural induction on t
    Induction step:
    IH1: flat (mapTree f t1) = map f (flat t1)
    IH2: flat (mapTree f t2) = map f (flat t2)
    To show: flat (mapTree f (Node x t1 t2)) =
             map f (flat (Node x t1 t2))
     flat (mapTree f (Node x t1 t2))
     = flat (Node (f x) (mapTree f t1) (mapTree f t2))
     = flat (mapTree f t1) ++ [f x] ++ flat (mapTree f t2)
     = map f (flat t1) ++ [f x] ++ map f (flat t2)
         -- by IH1 and IH2
     map f (flat (Node x t1 t2))
     = map f (flat t1 ++ [x] ++ flat t2)
     = map f (flat t1) ++ [f x] ++ map f (flat t2)
         -- by lemma distributivity of map over ++
```



The general (regular) case

data $T a = \dots$

Assumption: T is a *regular* data type:



The general (regular) case

```
data T a = ...
```

Assumption: T is a regular data type:

Each constructor C_i of T must have a type

$$t_1 \rightarrow \ldots \rightarrow t_n \rightarrow T$$
 a

such that each t_i is either T a or does not contain T



Structural induction for Tree

```
data Tree a = Empty | Node a (Tree a) (Tree a)
```



The general (regular) case

```
data T a = ...

Assumption: T is a regular data type:

Each constructor C_i of T must have a type

t_1 \rightarrow \ldots \rightarrow t_{n_i} \rightarrow T a

such that each t_j is either T a or does not contain T

To prove property P(t) for all finite t :: T a:
```



The general (regular) case

```
data T a = ...

Assumption: T is a regular data type:

Each constructor C_i of T must have a type

t_1 \rightarrow \ldots \rightarrow t_{n_i} \rightarrow T a

such that each t_j is either T a or does not contain T

To prove property P(t) for all finite t:: T a:

prove for each constructor C_i that P(C_i \times_1 \ldots \times_{n_i})
```



The general (regular) case

```
Assumption: T is a regular data type:

Each constructor C_i of T must have a type

t_1 \rightarrow \ldots \rightarrow t_{n_i} \rightarrow T a

such that each t_j is either T a or does not contain T

To prove property P(t) for all finite t:: T a:

prove for each constructor C_i that P(C_i \times_1 \ldots \times_{n_i})
assuming the induction hypotheses P(x_j) for all j s.t. t_j = T a
```



The general (regular) case

```
data T a = ...

Assumption: T is a regular data type:

Each constructor C_i of T must have a type
t_1 \rightarrow \ldots \rightarrow t_{n_i} \rightarrow T a
such that each t_j is either T a or does not contain T

To prove property P(t) for all finite t:: T a:
prove for each constructor C_i that P(C_i \times_1 \ldots \times_{n_i})
assuming the induction hypotheses P(x_j) for all j s.t. t_j = T a

Example of non-regular type: data T = C [T]
```



The general (regular) case

```
data T a = ...

Assumption: T is a regular data type:

Each constructor C_i of T must have a type

t_1 \rightarrow \ldots \rightarrow t_{n_i} \rightarrow T a

such that each t_j is either T a or does not contain T

To prove property P(t) for all finite t:: T a:

prove for each constructor C_i that P(C_i \times_1 \ldots \times_{n_i})

assuming the induction hypotheses P(x_j) for all j s.t. t_j = T a

Example of non-regular type: data T = C [T]
```



• So far, only batch programs:



The problem

Haskell programs are pure mathematical functions:
 Haskell programs have no side effects



The problem



The problem

- Haskell programs are pure mathematical functions:
 Haskell programs have no side effects
- Reading and writing are side effects:

- Haskell programs are pure mathematical functions:
 Haskell programs have no side effects
- Reading and writing are side effects:

Interactive programs have side effects



An impure solution

Most languages allow functions to perform I/O without reflecting it in their type.



An impure solution

Most languages allow functions to perform I/O without reflecting it in their type.

Assume that Haskell were to provide an input function

inputInt :: Int



An impure solution

Most languages allow functions to perform I/O without reflecting it in their type.

Assume that Haskell were to provide an input function

inputInt :: Int

Now all functions potentially perform side effects.

Now we can no longer reason about Haskell like in mathematics:



An impure solution

Most languages allow functions to perform I/O without reflecting it in their type.

Assume that Haskell were to provide an input function

inputInt :: Int

Now all functions potentially perform side effects.

Now we can no longer reason about Haskell like in mathematics:

inputInt - inputInt = 0



An impure solution

Most languages allow functions to perform I/O without reflecting it in their type.

Assume that Haskell were to provide an input function

inputInt :: Int

Now all functions potentially perform side effects.

Now we can no longer reason about Haskell like in mathematics:

inputInt - inputInt = 0
inputInt + inputInt = 2*inputInt

are no longer true.



The pure solution

Haskell distinguishes expressions without side effects from expressions with side effects (*actions*) by their type:



The pure solution

Haskell distinguishes expressions without side effects from expressions with side effects (*actions*) by their type:

IO a

is the type of (I/O) actions that return a value of type a.



The pure solution

Haskell distinguishes expressions without side effects from expressions with side effects (*actions*) by their type:

IO a

is the type of (I/O) actions that return a value of type a. Example

Char: the type of pure expressions that return a Char



The pure solution

Haskell distinguishes expressions without side effects from expressions with side effects (*actions*) by their type:

IO a

is the type of (I/O) actions that return a value of type a. Example

Char: the type of pure expressions that return a Char

IO Char: the type of actions that return a Char



The pure solution

Haskell distinguishes expressions without side effects from expressions with side effects (*actions*) by their type:

IO a

is the type of (I/O) actions that return a value of type a. $\label{eq:example} \textbf{Example}$

Char: the type of pure expressions that return a Char

IO Char: the type of actions that return a Char

 ${\tt IO}$ (): the type of actions that return no result value



()

()

• Type () is the type of empty tuples (no fields).

- Type () is the type of empty tuples (no fields).
- The only value of type () is (), the empty tuple.



()



Basic actions

- Type () is the type of empty tuples (no fields).
- The only value of type () is (), the empty tuple.
- Therefore IO () is the type of actions that return the dummy value () (because every action must return some value)

• getChar :: IO Char

Reads a Char from standard input, echoes it to standard output, and returns it as the result



Basic actions

Basic actions

• getChar :: IO Char

Reads a Char from standard input, echoes it to standard output, and returns it as the result

• putChar :: Char -> IO ()

Writes a Char to standard output, and returns no result

• getChar :: IO Char

Reads a Char from standard input, echoes it to standard output, and returns it as the result

• putChar :: Char -> IO ()

Writes a Char to standard output, and returns no result

• return :: a -> IO a

Performs no action,



Basic actions



Sequencing: do

• getChar :: IO Char

Reads a Char from standard input, echoes it to standard output, and returns it as the result

• putChar :: Char -> IO ()

Writes a Char to standard output, and returns no result

• return :: a -> IO a

Performs no action, just returns the given value as a result



Sequencing: do

Sequencing: do

A sequence of actions can be combined into a single action with the keyword do

A sequence of actions can be combined into a single action with the keyword do

Example

get2 :: IO ?



Sequencing: do



Basic actions

A sequence of actions can be combined into a single action with the keyword do

Example

```
get2 :: IO ?
get2 = do x <- getChar</pre>
```

• getChar :: IO Char

Reads a Char from standard input, echoes it to standard output, and returns it as the result

• putChar :: Char -> IO ()

Writes a Char to standard output, and returns no result

• return :: a -> IO a

Performs no action, just returns the given value as a result



Sequencing: do

A sequence of actions can be combined into a single action

Example

```
get2 :: IO ?
get2 = do x <- getChar</pre>
```



Sequencing: do

A sequence of actions can be combined into a single action with the keyword do

Example



Sequencing: do

A sequence of actions can be combined into a single action with the keyword do

with the keyword do

Example



Sequencing: do

A sequence of actions can be combined into a single action with the keyword do

Example



Basic actions

• getChar :: IO Char

Reads a Char from standard input, echoes it to standard output, and returns it as the result

• putChar :: Char -> IO ()

Writes a Char to standard output, and returns no result

• return :: a -> IO a

Performs no action, just returns the given value as a result



Sequencing: do

A sequence of actions can be combined into a single action with the keyword do

Example



General format (observe layout!):

```
do a_1: a_n
```



Sequencing: do

A sequence of actions can be combined into a single action with the keyword ${\tt do}$

Example



General format (observe layout!):

```
do a_1
\vdots
a_n
```

where each a; can be one of

an action

Effect: execute action

• x <- action

Effect: execute action :: IO a, give result the name x :: a



General format (observe layout!):

```
do a<sub>1</sub> :
```

where each a_i can be one of

an action

Effect: execute action

• x <- action

Effect: execute action :: IO a, give result the name x :: a

• let x = expr

Effect: give expr the name x



General format (observe layout!):

```
do a_1
\vdots
a_n
```

where each a_i can be one of

an action

Effect: execute action

• *x* <- *action*

Effect: execute action :: IO a, give result the name x :: a

• let x = expr

Effect: give expr the name x

Lazy: expr is only evaluated when x is needed!



Derived primitives

Write a string to standard output:

```
putStr :: String -> IO ()
```



Read a line from standard input:

```
getLine :: IO String
```



Read a line from standard input:



Read a line from standard input:



Read a line from standard input:



Read a line from standard input:

Actions are normal Haskell values and can be combined as usual, for example with if-then-else.



Example

Prompt for a string and display its length:



Example

Prompt for a string and display its length:

```
strLen :: IO ()
```



Example

Prompt for a string and display its length:



Example

(

Example

Prompt for a string and display its length:

```
strLen :: IO ()
strLen = do putStr "Enter a string: "
             xs <- getLine
             putStr "The string has "
             putStr (length xs)
```

```
strLen :: IO ()
strLen = do putStr "Enter a string: "
              xs <- getLine
              putStr "The string has "
              putStr (show (length xs))
              putStrLn " characters"
```

Prompt for a string and display its length:



Example

Example

Prompt for a string and display its length:

```
strLen :: IO ()
strLen = do putStr "Enter a string: "
             xs <- getLine
             putStr "The string has "
             putStr (show (length xs))
             putStrLn " characters"
```

> strLen

Enter a string: abc

strLen :: IO ()

Prompt for a string and display its length:

```
strLen = do putStr "Enter a string: "
              xs <- getLine
              putStr "The string has "
              putStr (show (length xs))
              putStrLn " characters"
```

> strLen

```
Enter a string: abc
The string has 3 characters
```



How to read other types



How to read other types

Input string and convert



How to read other types

Input string and convert

Useful class:

```
class Read a where
  read :: String -> a
```



How to read other types

Input string and convert

Useful class:

```
class Read a where
  read :: String -> a
```

Most predefined types are in class Read.



How to read other types

Input string and convert

Useful class:

class Read a where
 read :: String -> a

Most predefined types are in class Read.

Example:

getInt :: IO Integer

getInt = do xs <- getLine</pre>



How to read other types

Input string and convert

Useful class:

class Read a where
 read :: String -> a

Most predefined types are in class Read.

Example:



Case study

The game of Hangman in file hangman.hs



Case study

📮 🖫 💷 🕦 ↔ 🎸 🕴 🛜 🗣 🖭 Fri 09:56 🔍 🔚

The game of Hangman in file hangman.hs